

COROL. III.

Et Curva omnis cujus Ordinata est $z^{\theta-1}$ in $\frac{1}{a + bz^n + cz^{2n} + \&c.} \times \frac{e + fz^n + gz^{2n} + \&c.}{\&c.}^{\lambda}$, assumendo quantitatem quamvis pro v & ponendo $\frac{v}{z} = s$ & $z^s = x$, migrat in aliam sibi æqualem cujus ordinata est $\frac{1}{n} x^{\frac{\theta-1}{n}}$ in $\frac{1}{a + bx^v + cx^{2v} + \&c.} \times \frac{e + fx^v + gx^{2v} + \&c.}{\&c.}^{\lambda}$.

COROL. IV.

Et Curva omnis cujus Ordinata est $z^{\theta-1}$ in $\frac{1}{a + bz^n + cz^{2n} + \&c.} \times \frac{e + fz^n + gz^{2n} + \&c.}{\&c.}^{\lambda} \times \frac{k + lz^n + mz^{2n} + \&c.}{\&c.}^{\mu}$, assumendo quantitatem quamvis pro v & ponendo $\frac{v}{z} = s$ & $z^s = x$, migrat in aliam sibi æqualem cujus ordinata est $\frac{1}{n} x^{\frac{\theta-1}{n}}$ in $\frac{1}{a + bx^v + cx^{2v} + \&c.} \times \frac{e + fx^v + gx^{2v} + \&c.}{\&c.}^{\lambda} \times \frac{k + lx^v + mx^{2v} + \&c.}{\&c.}^{\mu}$.

COROL. V.

Et Curva omnis cujus Ordinata est $z^{\theta-1}$ in $\frac{1}{e + fz^n + gz^{2n} + \&c.}^{\lambda}$ ponendo $\frac{1}{z} = x$ migrat in aliam sibi æqualem cujus ordinata est $\frac{1}{x^{\theta+1}} \times \frac{e + fx^n}{\&c.}^{\lambda}$ id est $\frac{1}{x^{\theta+1+n\lambda}} \times \frac{e + fx^n}{\&c.}^{\lambda}$ si duo sunt nomina in vinculo radices vel $\frac{1}{x^{\theta+1+n\lambda}} \times \frac{g + fx^n + ex^{2n}}{\&c.}^{\lambda}$ si tria sunt nomina ; & sic deinceps.

CO.

Et Curva o
 $\frac{e + fz^n + gz^{2n} + \&c.}{\&c.}^{\lambda}$
 ponendo $\frac{1}{z} = x$ m
 jus ordinata est
 $\frac{1}{x^{\theta+1}} \times \frac{e + fx^n}{\&c.}^{\lambda}$
 $\frac{1}{x^{\theta+1+n\lambda}} \times \frac{g + fx^n + ex^{2n}}{\&c.}^{\lambda}$ si bina
 vel $\frac{1}{x^{\theta+1+2n\lambda+1}} \times \frac{1}{\&c.}^{\lambda}$
 sunt nomina in
 vinculo posteriori
 areae duæ æqual
 rollariis jacent a
 Si area in alteru
 huic æqualis in a
 ductæ.

Si relatio inte
 Abscissam z defu
 sectam hujus form
 $\frac{1}{z^{\theta+1}} \times \frac{e + fx^n}{\&c.}^{\lambda}$ = z^{β} in
 figura assumendo
 in aliam sibi æqu